

Fig. 1

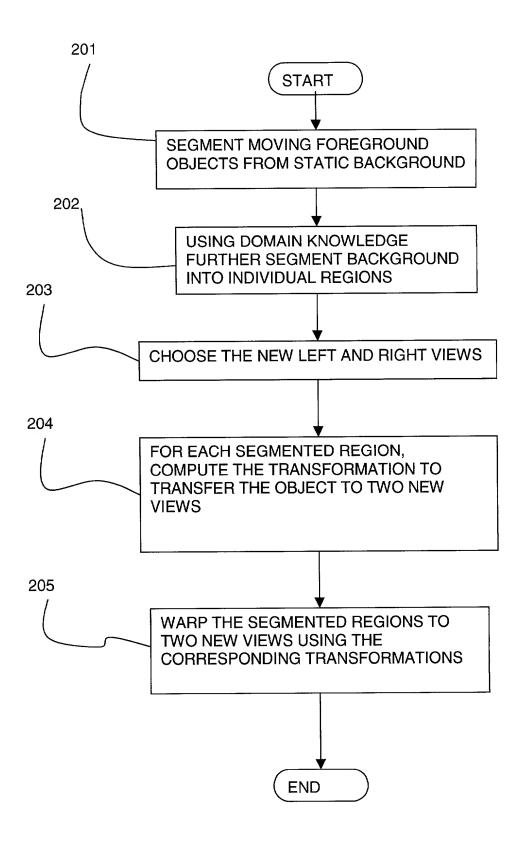


Fig. 2

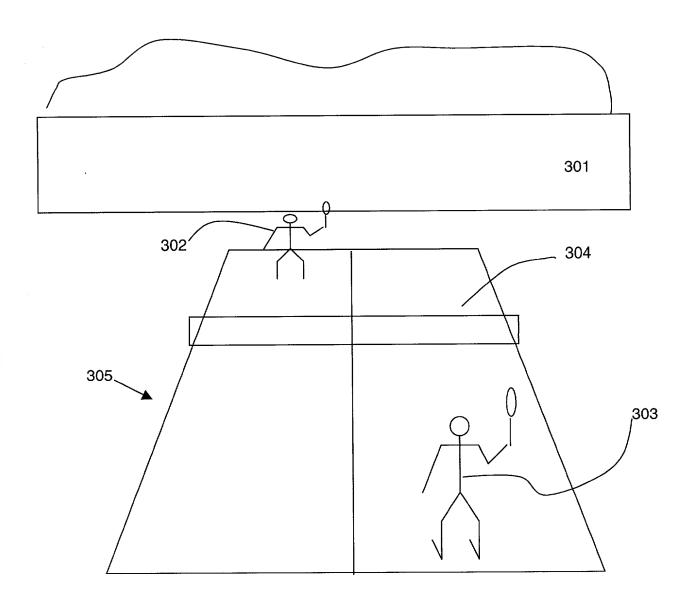


Fig. 3

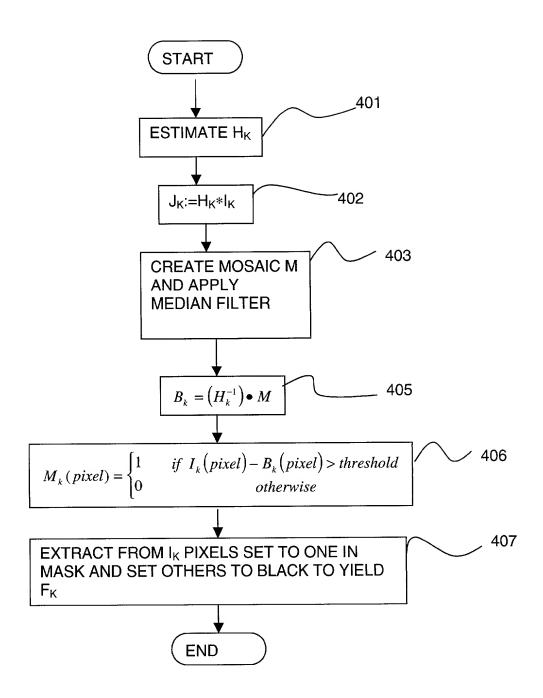


Fig. 4

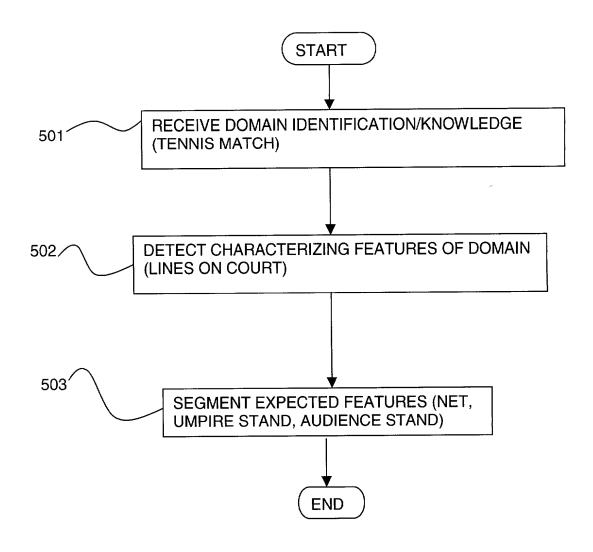


FIG. 5

FIG. 6

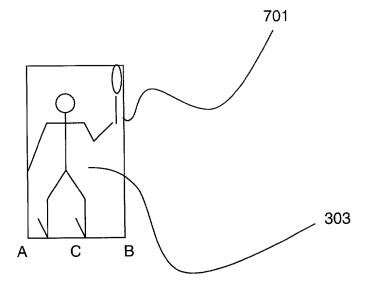


FIG. 8

END

FIG. 9

$$\left(\frac{h_{11}x + h_{12}y + h_{13}}{h_{31}x + h_{32}y + h_{33}}, \frac{h_{21}x + h_{22}y + h_{23}}{h_{31}x + h_{32}y + h_{33}}\right)$$
(1)

$$\mathbf{HL} = \begin{pmatrix} 1 & s_L & d_L \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{pmatrix} \tag{2}$$

$$\mathbf{HR} = \begin{pmatrix} 1 & s_R & d_R \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{pmatrix}$$
 (3)

$$(s_L - s_R)y + d_L - d_R \tag{4}$$

$$\mathbf{TL} = \begin{pmatrix} s & 0 & \Delta_x \\ 0 & s & \Delta_y \\ 0 & 0 & 1 \end{pmatrix} \tag{5}$$

$$A=(Ax, Ay)$$
 (6)

$$B=(Bx, By) (7)$$

$$C=(Cx, Cy)$$
 (8)

$$A'=(A'x, A'y)$$
 (9)

$$B'=(B'x, B'y)$$
 (10)

$$C'=(C'x, C'y)$$
 (11)

$$s = \frac{|A'x - B'x|}{|Ax - Bx|} \qquad \Delta_x = C'x - s \cdot Cx \qquad \Delta_y = C'y - s \cdot Cy \tag{12}$$

$$\frac{s_L y_1 + d_L}{s_L y_2 + d_L} = \frac{w_1}{w_2} \tag{13}$$

$$s_L(y_1 w_2 - y_2 w_1) + d_L(w_2 - w_1) = 0$$

$$s_L y_B + d_L = d_{MAX}$$
(14)

$$A''=(A''x, A''y)$$
 (15)

$$B''=(B''x, B''y)$$
 (16)

$$C''=(C''x, C''y)$$
 (17)

$$\mathbf{TR} = \begin{pmatrix} s'' & 0 & \Delta''_{x} \\ 0 & s'' & \Delta''_{y} \\ 0 & 0 & 1 \end{pmatrix}$$
 (18)

$$s'' = \frac{|A''x - B''x|}{|Ax - Bx|} \qquad \Delta''_{x} = C''x - s'' \cdot Cx \qquad \Delta''_{y} = C''y - s'' \cdot Cy$$

$$(19)$$

$$vp_1 = ([sx_{11} \quad sy_{11} \quad 1] \times [ex_{11} \quad ey_{11} \quad 1]) \times ([sx_{12} \quad sy_{12} \quad 1] \times [ex_{12} \quad ey_{12} \quad 1])$$

$$vp_2 = ([sx_{21} \quad sy_{21} \quad 1] \times [ex_{21} \quad ey_{21} \quad 1]) \times ([sx_{22} \quad sy_{22} \quad 1] \times [ex_{22} \quad ey_{22} \quad 1])$$
(20)

$$a \times b$$
 (22)

$$H_{a} = \begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ h_{1} & h_{2} & 1 \end{bmatrix} \quad where \quad \begin{bmatrix} h_{1} \\ h_{2} \end{bmatrix} = \begin{bmatrix} x_{1} & y_{1} \\ x_{2} & y_{2} \end{bmatrix}^{-1} \begin{bmatrix} -w_{1} \\ -w_{2} \end{bmatrix}$$
(23)

$$p_i = [px_i \quad py_i] \tag{24}$$

$$p_{i}' = \left[\frac{px_{i}}{h_{1}px_{i} + h_{2}py_{i} + 1} \quad \frac{py_{i}}{h_{1}px_{i} + h_{2}py_{i} + 1} \right]$$
(25)

$$H_{b} = \begin{bmatrix} a & b & c \\ d & e & f \\ g & h & 1 \end{bmatrix} \quad where \quad \begin{bmatrix} qx_{1} & qy_{1} & 1 & 0 & 0 & 0 & -px'_{1} \cdot qx_{1} & -px'_{1} \cdot qy_{1} \\ qx_{2} & qy_{2} & 1 & 0 & 0 & 0 & -px'_{2} \cdot qx_{2} & -px'_{2} \cdot qy_{2} \\ qx_{3} & qy_{3} & 1 & 0 & 0 & 0 & -px'_{3} \cdot qx_{3} & -px'_{3} \cdot qy_{3} \\ qx_{4} & qy_{4} & 1 & 0 & 0 & 0 & -px'_{4} \cdot qx_{4} & -px'_{4} \cdot qy_{4} \\ \vdots & \vdots & \ddots & \ddots & \ddots & \ddots & \ddots & \ddots \\ 0 & 0 & 0 & qx_{1} & qy_{1} & 1 & -py'_{1} \cdot qx_{1} & -py'_{1} \cdot qy_{1} \\ 0 & 0 & 0 & qx_{2} & qy_{2} & 1 & -py'_{2} \cdot qx_{2} & -py'_{2} \cdot qy_{2} \\ 0 & 0 & 0 & qx_{3} & qy_{3} & 1 & -py'_{3} \cdot qx_{3} & -py'_{3} \cdot qy_{3} \\ 0 & 0 & 0 & qx_{4} & qy_{4} & 1 & -py'_{4} \cdot qx_{4} & -py'_{4} \cdot qy_{4} \\ \vdots & \vdots & \ddots & \vdots & \ddots & \ddots & \ddots & \ddots \end{bmatrix}$$
 (26)

$$q_i = [qx_i \quad qy_i] \tag{27}$$

$$q_{i}' = \begin{bmatrix} \frac{a \cdot qx_{i} + b \cdot qy_{i} + c}{g \cdot qx_{i} + h \cdot qy_{i} + 1} & \frac{e \cdot qx_{i} + f \cdot qy_{i} + g}{g \cdot qx_{i} + h \cdot qy_{i} + 1} \end{bmatrix}$$
(28)

$$e_{12} = ([px_a' \ py_a' \ 1] \times [qx_a' \ qy_a' \ 1]) \times ([px_b' \ py_b' \ 1] \times [qx_b' \ qy_b' \ 1])$$
 (29)

$$e_{12}' = H_a * \begin{bmatrix} 1 \\ 0 \\ 0 \end{bmatrix} \tag{30}$$

$$e_{22}' = (1+w) \cdot e_{12} - w \cdot e_{12}' \tag{31}$$

$$r_i' = ([px_i' \quad py_i' \quad 1] \times e_{12}') \times ([qx_i' \quad qy_i' \quad 1] \times e_{22}')$$
 (32)

$$r_{i} = \begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 1 \\ 0 & 0 & 1 \end{bmatrix} H_{a}^{-1} \begin{bmatrix} 1 & 0 & d \cdot ex_{12}' \\ 0 & 1 & d \cdot ey_{12}' \\ 0 & 0 & 1 + d \end{bmatrix} r_{i}'$$
(33)